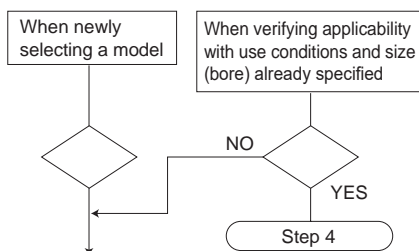


SCP\*3  
CMK2  
CMA2  
SCM  
SCG  
SCA2  
SCS2  
CKV2  
CAV2/  
COVPIN2  
SSD2  
SSG  
SSD  
CAT  
MDC2  
MVC  
SMG  
MSD/  
MSDG  
FC\*  
STK  
SRL3  
SRG3  
SRM3  
SRT3  
MRL2  
MRG2  
SM-25  
ShkAbs  
FJ  
FK  
Spd  
Contr  
Ending

## SRG3 Series selection guide

As the selection conditions are different from those of general air cylinders, confirm whether the model is adequate or not according to the selection guide.

### 1 Step 1



### 2 Step 2 Confirming working conditions

- Working pressure (P) (MPa)
- Load weight (M) (kg)
- Applied load (F<sub>L</sub>) (N)
- Mounting orientation
- Stroke (L) (mm)
- Travel time (t) (s)
- Operation speed (V) (m/s)

Formula of the cylinder's average operation speed V

$$V = \frac{L}{t} \times \frac{1}{1000} \text{ (m/s)}$$

[Load weight]

Value of (weight of transported object + jig weight)

[Mounting orientation]

Operating direction: Horizontal + vertical

Mounting direction: With table upward, with table downward

### 3 Step 3 Selection of approximate size of cylinder

● Formula for calculating cylinder size (bore size)

$$F = \frac{\pi}{4} \times D^2 \times P \times \frac{a}{100} \text{ (N)}$$

$$\therefore D = \sqrt{\frac{4F}{\pi \cdot P \cdot a}} \text{ (mm)}$$

D: Cylinder bore size (mm)

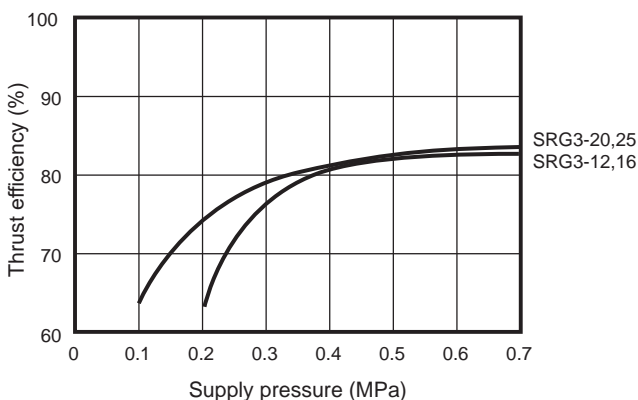
P: Working pressure (MPa)

a: Thrust efficiency (%) (Refer to Fig. 1)

F: Cylinder theoretical thrust (N)

D=

Figure 1 Trends of thrust efficiency of SRG3



● When calculating from the theoretical thrust value in Table 1

Approximate required thrust ≥ Applied load x 2

("x 2" in "Applied load x 2" is for when the load factor is approx. 50% as a safety coefficient)

(Example) Working pressure 0.5 MPa

Applied load 5 N

\* Required thrust is 5 (N) x 2 = 10 N

The bore size selected from Table 1 with theoretical thrust of 10 N and over at working pressure of 0.5 MPa will be ø12.

D=

[Cylinder theoretical thrust]

Table 1 Cylinder theoretical thrust value

Unit: N

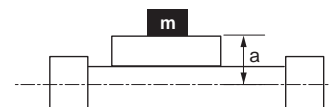
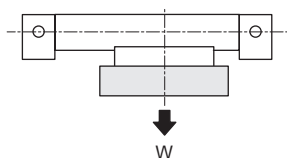
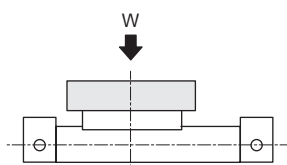
Bore size (mm)	Pressurized area (mm <sup>2</sup> )	Working pressure MPa						
		0.1	0.2	0.3	0.4	0.5	0.6	0.7
ø12 or equiv.	138	-	28	41	55	69	83	97
ø16 or equiv.	216	-	43	65	86	108	130	151
ø20 or equiv.	315	-	63	94	126	157	189	220
ø25 or equiv.	542	54	108	163	217	271	325	380

Note: Values in Table 1 do not include thrust efficiency.

## 4 Step 4 Calculation of load (W) and moments

Vertical load and static moment work according to the cylinder mounting direction and the position of center of gravity of load.

[Vertical load]

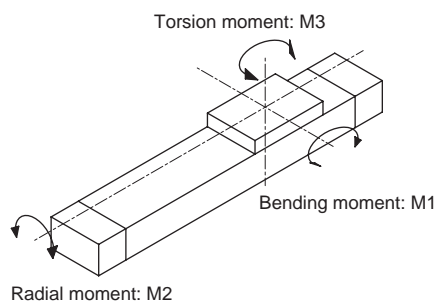


Value of a

Bore size	a(m)
ø25 or equiv.	0.033
ø32 or equiv.	0.035
ø40 or equiv.	0.040
ø63 or equiv.	0.050

[Static moment]

● Types of moment caused by load



Unit: N·m					
Mounting orientation		Horizontal upward	Horizontal downward	Horizontal lateral	Vertical
Vertical load W		m×9.8			-
Static moment	M1	$W \times \ell_1$	$W \times \ell_1$	-	$W \times (\ell_3 + a)$
	M2	$W \times \ell_2$	$W \times \ell_2$	$W \times (\ell_3 + a)$	-
	M3	-	-	$W \times \ell_1$	$W \times \ell_2$

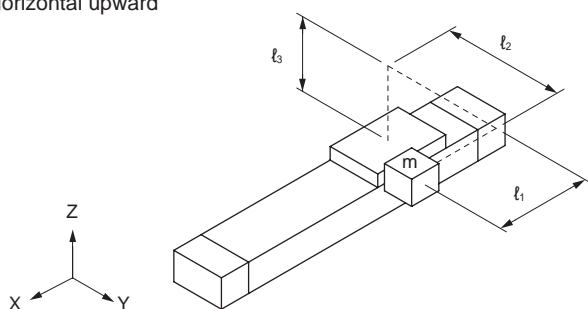
m : Load weight [kg]

$\ell_1$  : Length along the stroke direction from the center of table to the center of gravity of load [m]

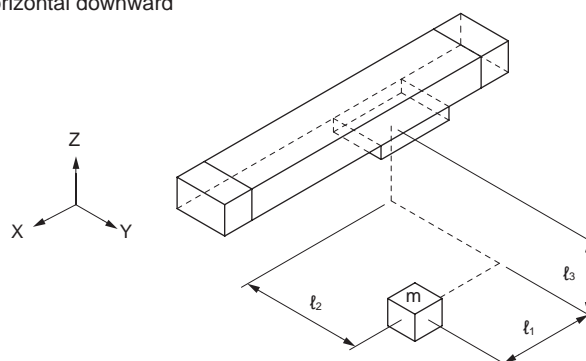
$\ell_2$  : Length in the width direction from the center of table to the center of gravity of load [m]

$\ell_3$  : Length in the vertical direction from the center of table to the center of gravity of load [m]

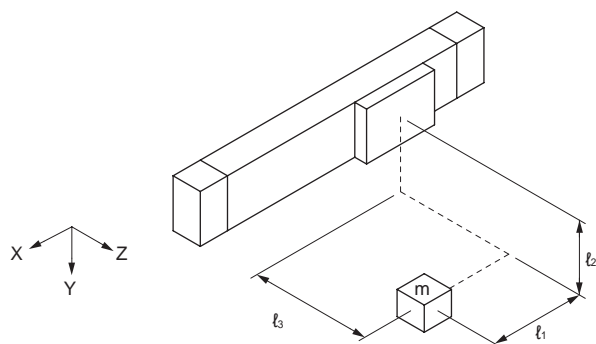
Horizontal upward



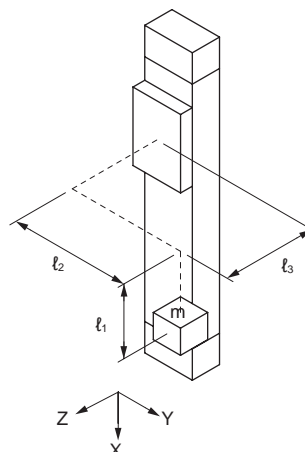
Horizontal downward



Horizontal lateral



Vertical



## 5 Step 5 Calculation of load and resultant moment

- Divide each load by the value shown in Table 2 to find load/moment ratio, and confirm that the total value is 1.0 or less.

- Formula

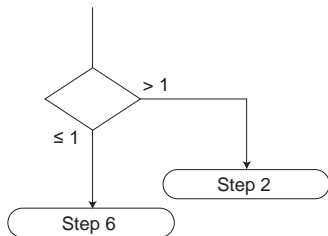
$$\frac{W}{W_{\max}} + \frac{M_1}{M_{1\max}} + \frac{M_2}{M_{2\max}} + \frac{M_3}{M_{3\max}} \leq 1.0$$

Table 2 Applied loads/allowable moments

Item	Vertical load W(N)	Bending moment M1 (N·m)	Radial moment M2 (N·m)	Torsion moment M3 (N·m)
Bore size (mm)				
ø12 or equiv.	20	1	0.5	3
ø16 or equiv.	40	2.5	1	5.5
ø20 or equiv.	40	2.5	1	5.5
ø25 or equiv.	90	6.5	2.5	17

- If the total value is more than 1.0,

1. Review the load
2. Use a cylinder with wider bore size, etc., for revision.



## 6 Step 6 Calculation of required thrust

- Calculate the required cylinder thrust ( $F_N$ ) that satisfies the conditions of the moments.

1. For horizontal operation

$$F_N = F_W + F_{M1} + F_{M2} + F_{M3} + F_L \quad (N)$$

$$F_W = W \times 0.2 \quad (N)$$

$$F_{M1} = M_1 \times C_1 \quad (N)$$

$$F_{M2} = M_2 \times C_2 \quad (N)$$

$$F_{M3} = M_3 \times C_3 \quad (N)$$

$$F_L: \text{Applied load} \quad (N)$$

C1: Coefficient of friction of moment M1 (Table 3)

C2: Coefficient of friction of moment M2 (Table 3)

C3: Coefficient of friction of moment M3 (Table 3)

2. For vertical operation

$$F_N = W + F_{M1} + F_{M3} + F_L \quad (N)$$

$$F_N = \boxed{\phantom{000}} \quad (N)$$

[Moment friction coefficients]

- The friction differs depending on the moment. Calculate the friction of each moment from Table 3.

Table 3 Coefficients of friction of moments <sup>1/m</sup>

Bore size (mm)	C1	C2	C3
ø12 or equiv.	8	27	8
ø16 or equiv.	7	24	7
ø20 or equiv.	6	21	6
ø25 or equiv.	5	16	5

## 7 Step 7 Calculation of load factor

- Determine the load factor by taking into account the status of utilization such as stability, margin and service life of the cylinder.

- Formula of load factor ( $\alpha$ )

$$\alpha = \frac{\text{Required thrust } (F_N)}{\text{Thrust of cylinder } (F)} \times 100\%$$

$$F = \frac{\pi}{4} \times D^2 \times P \times \frac{\mu}{100} \quad (N)$$

D: Cylinder bore size (mm)

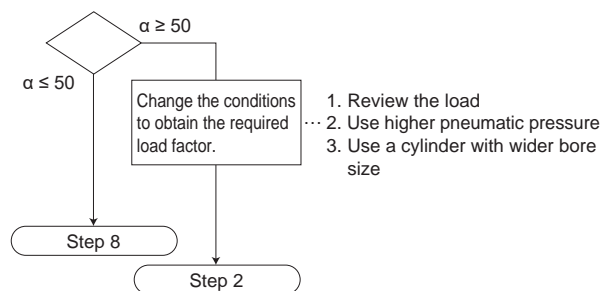
$$\frac{\pi}{4} \times D^2 = \text{Pressurized area (mm}^2\text{)}$$

- The cylinder theoretical thrust value in Table 1 can be

used as the  $\frac{\pi}{4} \times D^2 \times P$  value.

P : Working pressure MPa

$\mu$  : Thrust efficiency (Use the values in Figure 1.)



[Appropriate range of load factor]

- The piston speed differs depending on the load factor. In normal use, the values in Table 4 are recommended.

Table 4 (Appropriate range of load factor - reference value)

Working pressure MPa	Load factor (%)
0.2 to 0.3	$\alpha \leq 40$
0.3 to 0.6	$\alpha \leq 50$
0.6 to 0.7	$\alpha \leq 60$

[Example] Size of the cylinder used: ø12 or equiv.

Required thrust 1.78(N)

Working pressure 0.5 (MPa)

$$\alpha = \frac{1.78}{138 \times 0.5 \times \frac{82}{100}} \times 100$$

$$= 3.1\%$$

Appropriate since the result is  $\alpha \leq 50\%$ .

## 8 Step 8 Confirming cushion capacity

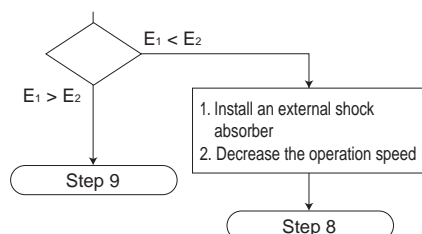
Check if the kinetic energy generated by an actual load can be absorbed by the cylinder cushion.

[Allowable absorbed energy of cylinder:  $E_1$ ]

- The kinetic energy absorption performance of the cylinder's cushion depends on the cylinder bore size. The values of SRG3 are shown in Table 5.

Table 5 SRG3 allowable absorbed energy ( $E_1$ )

Bore size (mm)	Allowable absorbed energy (J)
ø12 or equiv.	0.03
ø16 or equiv.	0.22
ø20 or equiv.	0.59
ø25 or equiv.	1.40



[Piston kinetic energy:  $E_2$ ]

- Formula for calculating the piston kinetic energy

$$E_2 = \frac{1}{2} M x V_a^2 \text{ (J)}$$

M: Applied load weight (kg)

$V_a$ : Speed of the piston entering the cushion (m/s)

$$V_a = \frac{L}{t} x \left(1 + 1.5x \frac{\alpha}{100}\right)$$

L : Stroke (m)

t : Operating time (s)

$\alpha$  : Load factor (%)

SCP*3
CMK2
CMA2
SCM
SCG
SCA2
SCS2
CKV2
CAV2/ COVP/N2
SSD2
SSG
SSD
CAT
MDC2
MVC
SMG
MSD/ MSDG
FC*
STK
SRL3
<b>SRG3</b>
SRM3
SRT3
MRL2
MRG2
SM-25
ShkAbs
FJ
FK
Spd Contr
Ending

## 9 Step 9 Confirmation of inertia load

- Check whether the inertia force of the load caused by the piston operation is within the allowable range of the cylinder.

- (1) Obtain the G coefficient from the speed of entering the cushion (Va) and Figure 2 (Trends of inertia force coefficient for SRG3). Use the speed of entering the cushion (Va) calculated in Step 8.

Va: Speed of the piston entering the cushion (m/s)

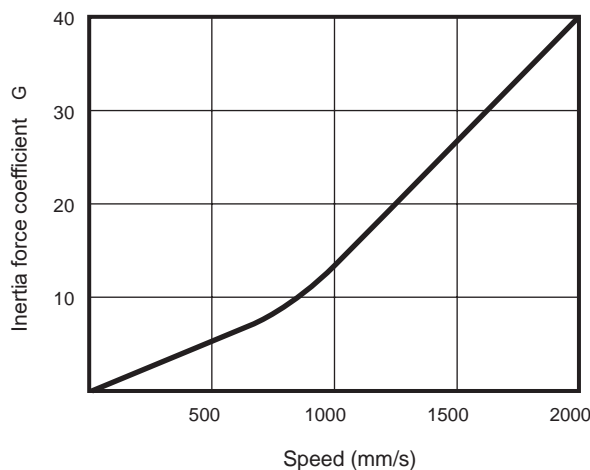
$$Va = \frac{L}{t} \times (1 + 1.5 \times \frac{\alpha}{100})$$

L : Stroke (mm)

t : Operating time (S)

α : Load factor (%)

Figure 2 Trends of inertia force coefficient for SRG3



- (2) Obtain the bending moment (M1i) and torsion moment (M3i) of the inertia force.

Unit: N·m

Mounting orientation		Horizontal upward	Horizontal downward	Vertical	Horizontal lateral
Dynamic moment	M1i	$W \times (\ell_3 + a) \times G$			
	M2i	M2i dynamic moment is not generated.			
	M3i	$W \times \ell_2 \times G$			

Moment of inertia force can be calculated with the formulas above regardless of the mounting direction.

- (3) Add moments of static load (M1 and M3) and moments of inertia force (M1i and M3i) and check that the resulting values are within the values in Table 2.

$$M1 + M1i \leq M1_{max}$$

$$M3 + M3i \leq M3_{max}$$

M1max and M3max are the values in Table 2.

